

## Lecture - 11

### Production in the Short-run:

We begin the analysis of short-run production with a situation where only one fixed input and one variable input is used in the process of production.

$$Q = f(L, \bar{K})$$

The only way the producer can change output is only by changing labour ( $L$ ) which is our variable input.

We need to understand the following concepts related to short-run production.

TP  $\rightarrow$  Total product or output i.e.  $Q$

AP  $\rightarrow$  Average product

MP  $\rightarrow$  Marginal product

Let us understand the relation between TP, AP & MP with the help of the following table.

No. of labourers (L)	TP (Q)	AP (Q/L)	MP ( $\partial Q / \partial L$ )	$\bar{K}$ 2
0	0	—	—	
1	52	52	52	
2	112	56	60	
3	170	56.7	58	
4	220	55	50	
5	258	51.6	38	
6	286	47.7	28	
7	304	43.4	18	
8	314	39.3	10	

AP<sub>1</sub> is total product divided by total number of labourers used in production. i.e.  $Q/L$

MP<sub>1</sub> is the contribution of every additional unit of labour to total output i.e.  $\partial Q / \partial L$

The relation between MP & AP can be understood from the 'law of variable proportion'.



Let us try to understand the above law with the help of the following example.

A person buys 10 acres of land to cultivate & produces wheat.

Here land is our fixed input. On that piece of land he uses labour (L) as the variable input.

This law can be explained in three different stages.

Stage - I (The stage of increasing returns)

In this stage, TP,  $MP_1$  &  $AP_1$  increase. Upto point 'N', TP increases at an increasing rate so  $MP_1$  also increases.

Stage - II (The stage of decreasing returns)

In this stage, TP increases at a decreasing rate so  $MP_1$  decreases.

Stage-III (The stage of negative returns)

After employing 01. units of labour, TP starts decreasing and then MP becomes negative.

A rational producer would always try to produce in stage-II because in this stage the total output reaches the maximum limit. Though MP decreases throughout this stage, the contribution of variable input is positive and hence TP increases throughout this stage.

Relation between MP & AP

$$Q = AP \cdot L$$

$$MP = \frac{\partial Q}{\partial L} = AP + L \frac{\partial AP}{\partial L}$$

When  $\frac{\partial AP}{\partial L}$  increases  $MP > AP$

When  $\frac{\partial AP}{\partial L}$  decreases  $MP < AP$

At point R,  $MP = AP$

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