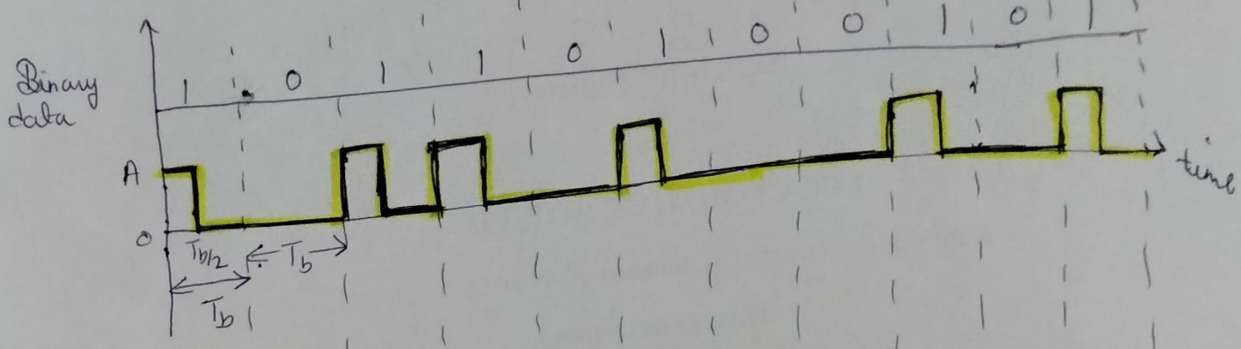


ex → Data → 1 0 1 1 0 1 0 0 1 0 1

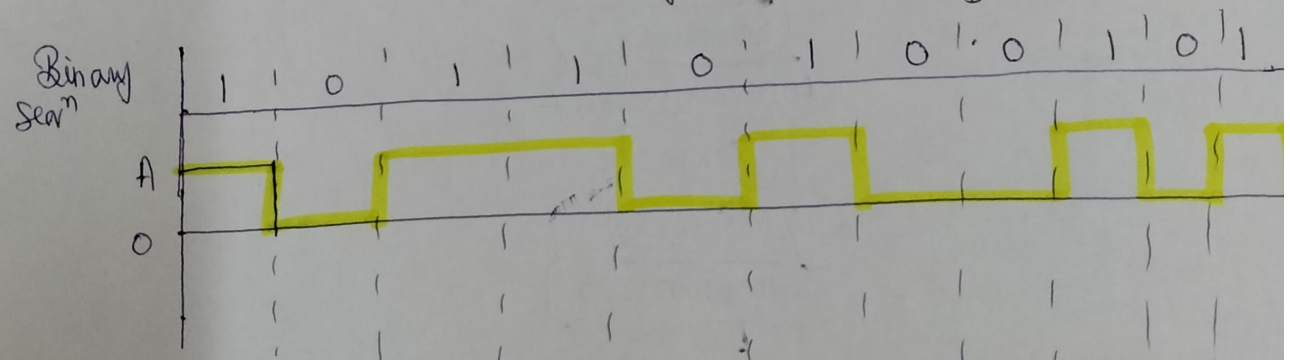


unipolar - RZ

unipolar NRZ

'1' →  $x(t) = A$  for  $0 \leq t < T_b$

'0' →  $x(t) = 0$  for  $0 \leq t < T_b$



unipolar → NRZ

Polar RZ

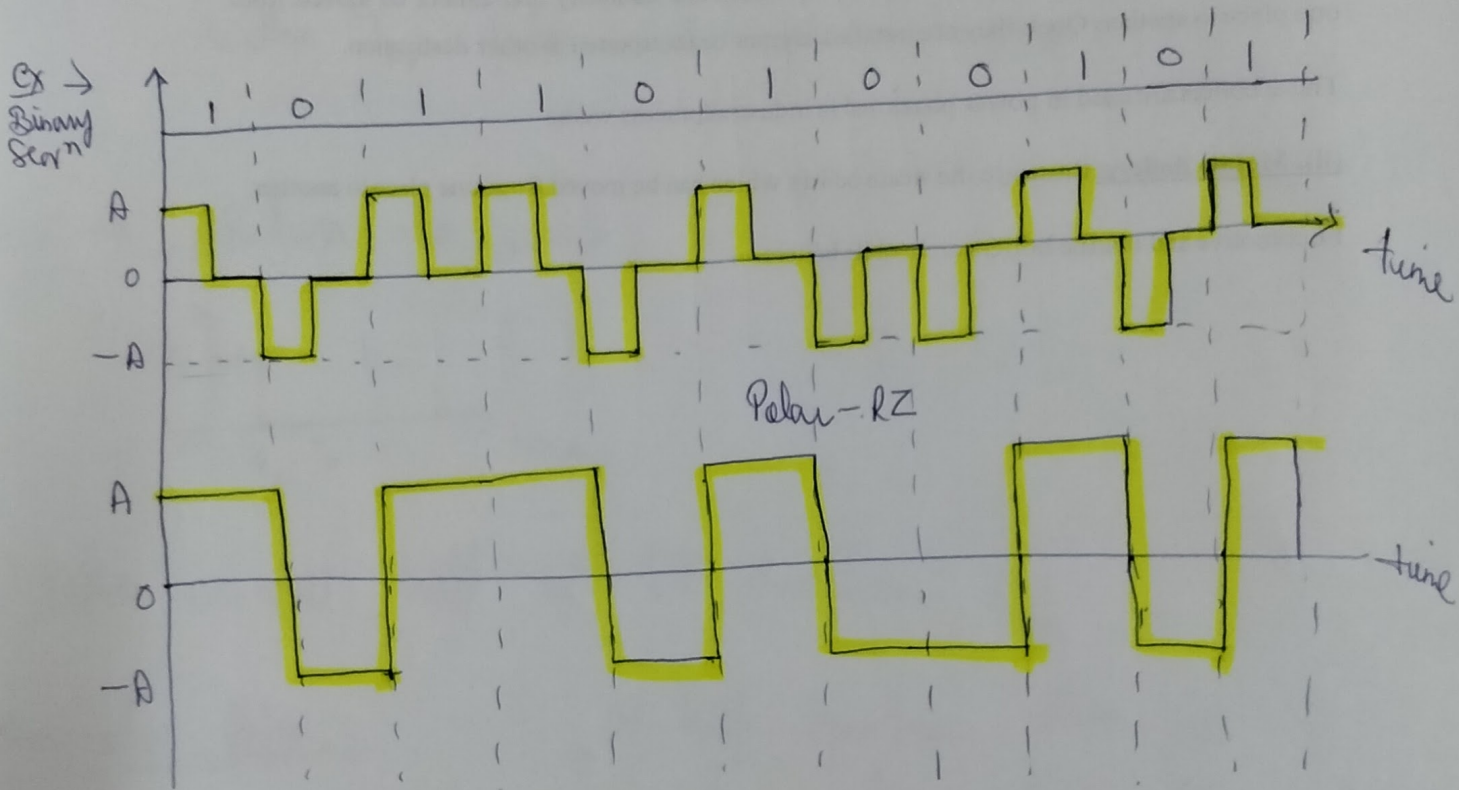
'1' →  $x(t) = \begin{cases} A/2 & \text{for } 0 \leq t < T_b/2 \\ 0 & \text{for } T_b/2 \leq t < T_b \end{cases}$

'0' →  $x(t) = \begin{cases} -A/2 & \text{for } 0 \leq t < T_b/2 \\ 0 & \text{for } T_b/2 \leq t < T_b \end{cases}$

Polar NRZ →

$$'1' \rightarrow x(t) = \begin{cases} A & \text{for } 0 \leq t < T_b \end{cases}$$

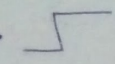
$$'0' \rightarrow x(t) = \begin{cases} -A & \text{for } 0 \leq t < T_b \end{cases}$$

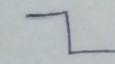


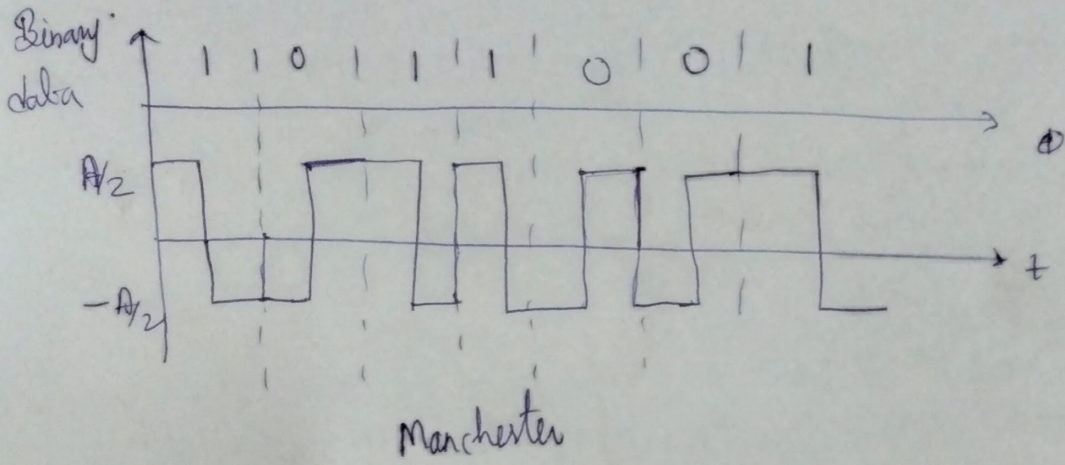
Polar - NRZ



Manchester →

0 →  low to high

1 →  high to low



$$1) \quad x(t) = \begin{cases} A/2 & \text{for } 0 \leq t < T_b/2 \\ -A/2 & \text{for } T_b/2 \leq t < T_b \end{cases}$$

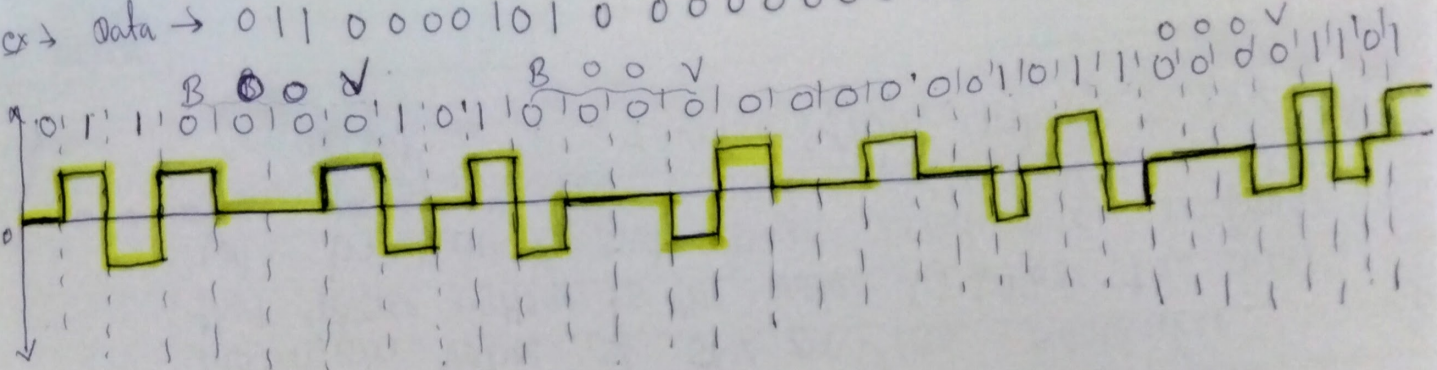
$$2) \quad x(t) = \begin{cases} -A/2 & \text{for } 0 \leq t < T_b/2 \\ A/2 & \text{for } T_b/2 \leq t < T_b \end{cases}$$

HDB-3 → 000V (odd) <sup>violation</sup>  
          → B00V (even)

000V → where 'V' is violation  
B00V → where 'B' is bipolar



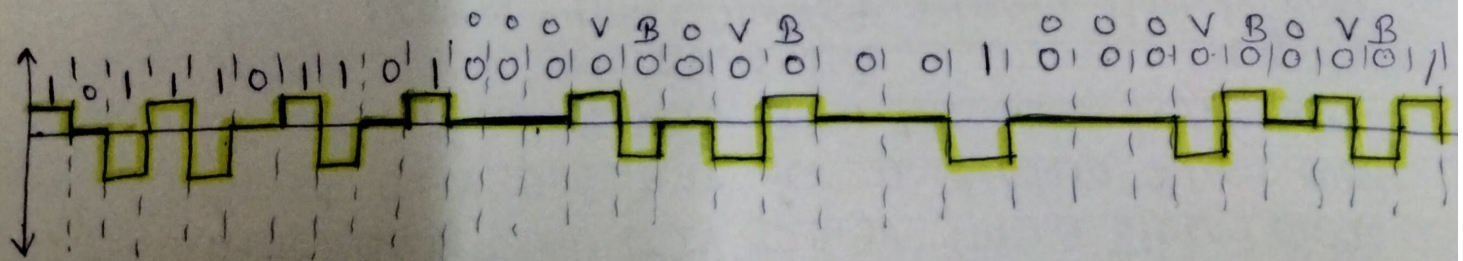
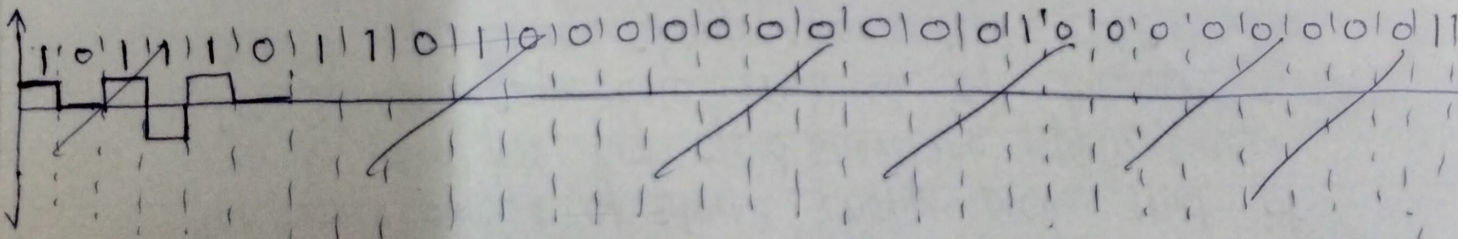
ex → data → 01100001010000000000101100001101



B8ZS → (Bipolar Eight zeros substitution)

B8ZS → 000V B0VB

ex → 10111011000000000000000000000000001





# Bipolar AMI (Alternate Mark Inversion)

ex → Data → 0 1 0 0 1 1 1 0 0 1 1

