

Impact of Jet

The liquid comes out from the Orifice of Nozzle which is fitted to a pipe through which liquid is flowing under pressure.

If some plate ^{which} may be fixed or moving is placed in path of jet a force is exerted by the jet on plate.

This force is obtained from Newton's Second Law of motion or and Impulse momentum Egh .

" Thus impact of jet means the force exerted by the jet on plate which may be stationary or moving.

change of momentum of jet
Exerted force on plate.

Impacts momentum Eqⁿ

Find hydrodynamic force

✓ Bernoulli Eqⁿ

✓ Continuity Eqⁿ

✓ impacts momenⁿ Eqⁿ

based on
Law conservation of momentum

"The net force acting on a
fluid mass is equal to rate
of change of momentum of
flow per unit time in that
direction"

From Newton's IInd Law
mass of fluid
 $\Sigma F = m a$

gravitational force
body force, pressure force

$\Sigma F =$ net force acting on fluid mass

$$\Sigma F = m a = m \frac{dv}{dt}$$

$$\Sigma F = m \frac{dv}{dt} \quad (m \text{ is constant})$$

$$\boxed{F = \frac{dvm}{dt}}$$

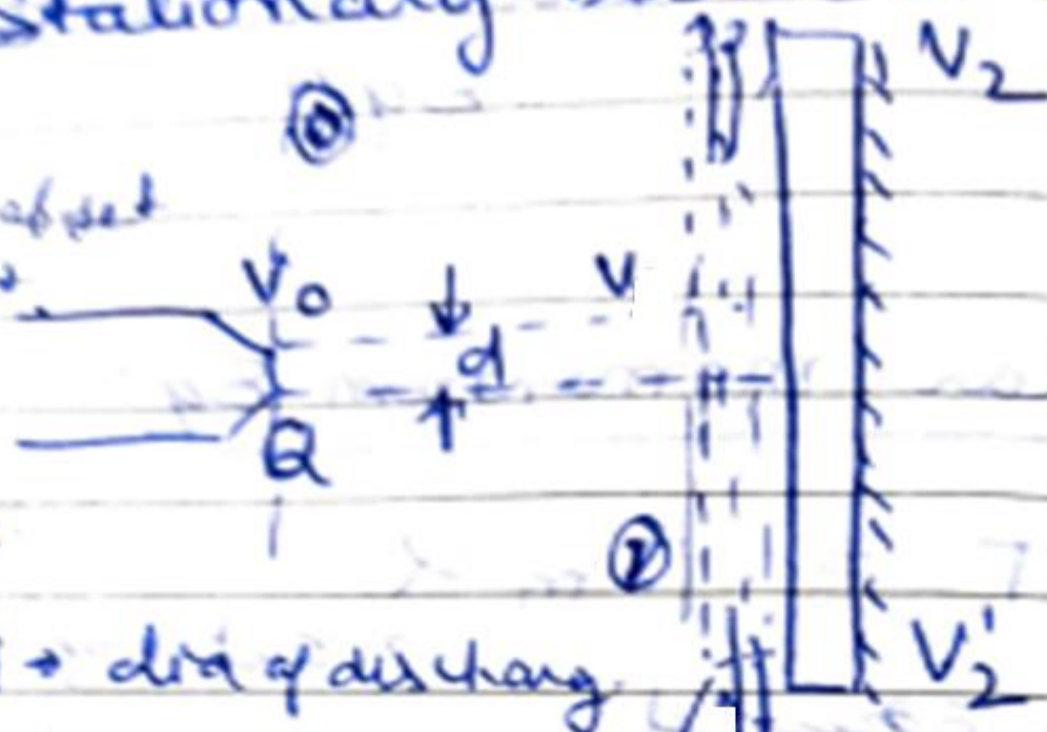
Momentum
Principle

$$\boxed{F dt = d(vm)}$$

impulse momentum
Eqⁿ

1 → Force Exerted by Jet on Stationary Vertical ^{flat} Plate.

velocity of jet when exit from nozzle



discharge

$d \rightarrow$ dia of discharge

contraction assumed.

neglect friction - low plate & nozzle
fluid starts 90° (NO ENERGY LOSS)

Newton's IInd Law

$$\Sigma F = ma$$

$$F_x = m a_x$$

$$F_x = m \frac{dv_x}{dt} = m (v_{2x} - v_{1x}) \quad *$$

Force on Jet \Rightarrow

$$m = \rho \times Q$$

$$= \rho \times A \times V_0 \rightarrow \text{jet initial velocity.}$$

$$m = \rho \times \frac{\pi}{4} d^2 \cdot V_0$$

velocity.

$\left. \begin{array}{l} * V_{2x} = \text{Exit velocity in } x \text{ direction} \\ \text{in control volume.} \end{array} \right\}$

$V_{1x} = \text{Inlet } \dots \dots \dots$

$F_x = \text{force on jet.}$

in opposite direction of rate of change of momentum

$$F'_x = m^{\circ} (V_{1x} - V_{2x}) \quad \left[\begin{array}{l} \text{Newton's} \\ \text{third law} \\ \text{action} \\ \text{reaction} \end{array} \right]$$

$$F'_x = \rho A V_0 [V - 0]$$

Strike the plate
 $V_{2x} = 0$

$$F'_x = \rho A V_0 V$$

Force on Plate
Exerted by jet.

Applying B.E. b/w (1) & (2)

$$\frac{P_0}{\rho g} + \frac{V_0^2}{2g} + z_0 = \frac{P_1}{\rho g} + \frac{V_1^2}{2g} + z_1$$

$$V_0 = V$$

$$F'_x = \rho A V_0^2$$

When Nozzle
in H_2
 $V_0 = V$