

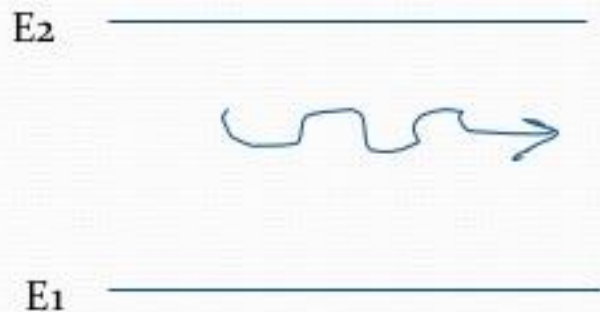
Optical Sources



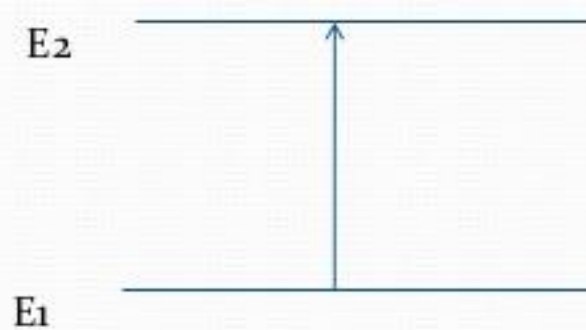
Induced absorption (stimulated absorption)

The process in which an atom sized system in lower energy state is raised in to higher energy state by electro magnetic radiation which is quanta of energy is equal to the difference of energy of the two states is called stimulated absorption.

$$\text{i.e., } h\nu = E_2 - E_1$$



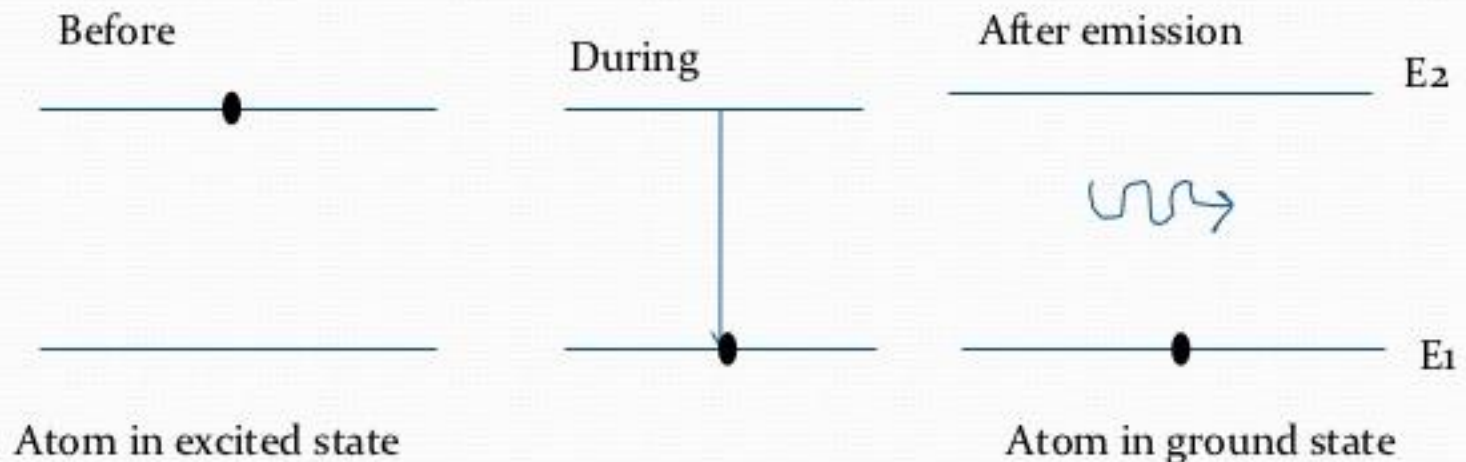
Before



After

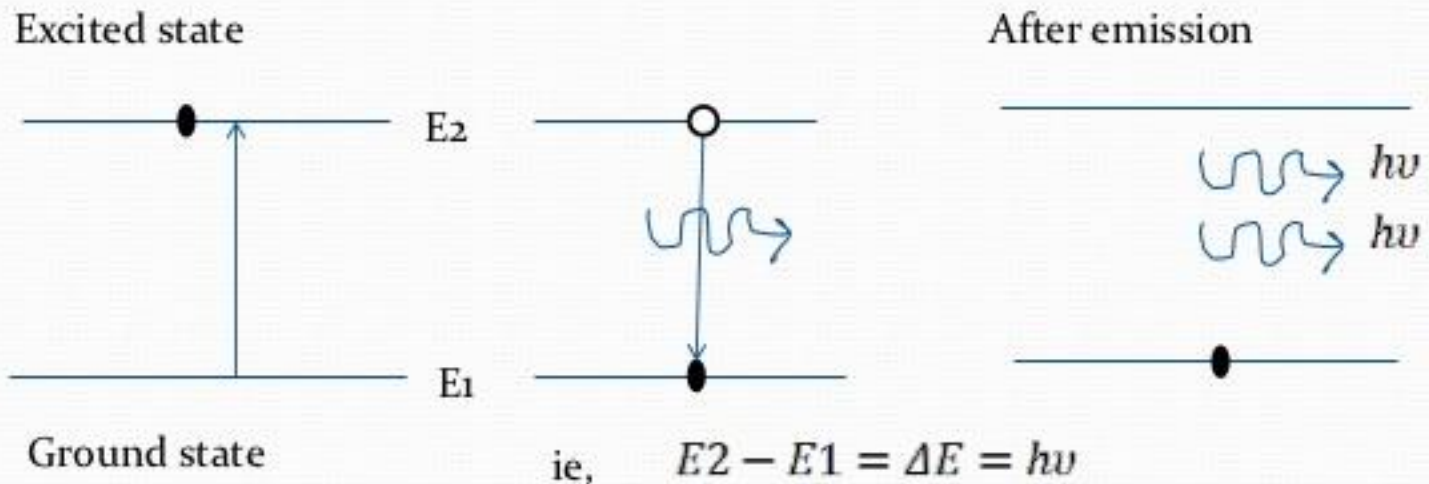
Spontaneous emission

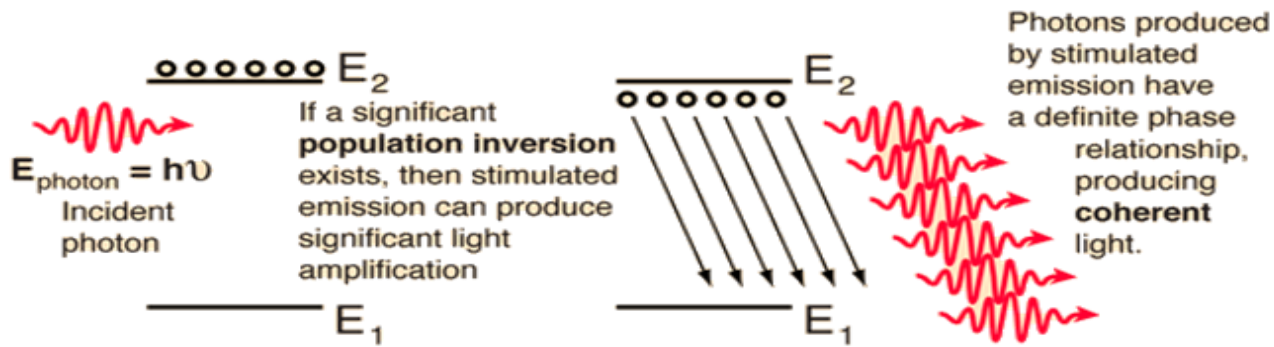
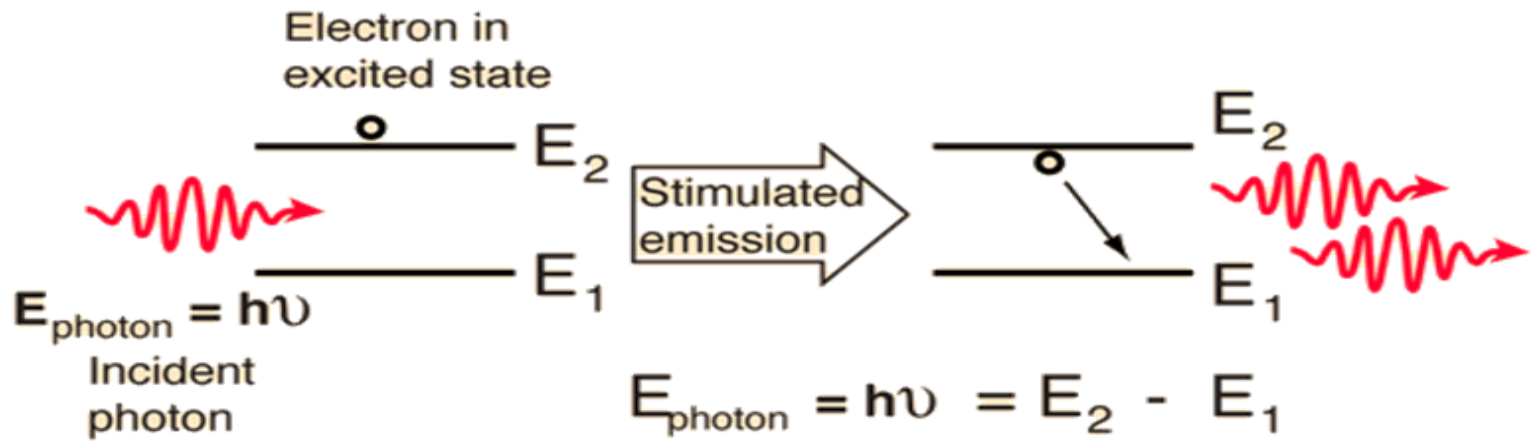
In the atom initially at upper state E_2 , it can be brought to E_1 by emitting a photon of energy $h\nu$. This is known as spontaneous emission.



Stimulated emission

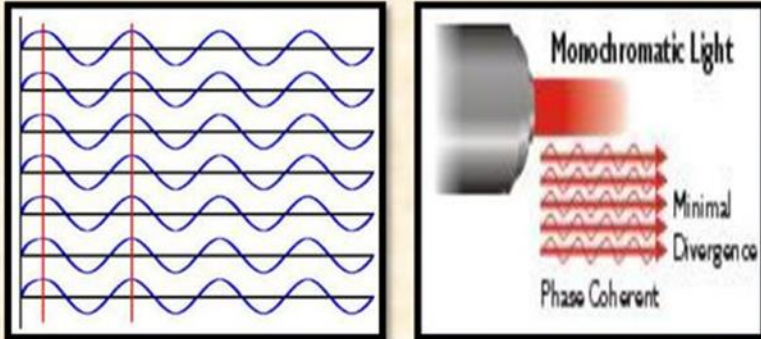
According to Einstein's, under certain condition it is possible to force an excited atom emit a photon by another photon and the incident light wave must be in same phase .hence we get an enhance beam of coherent light





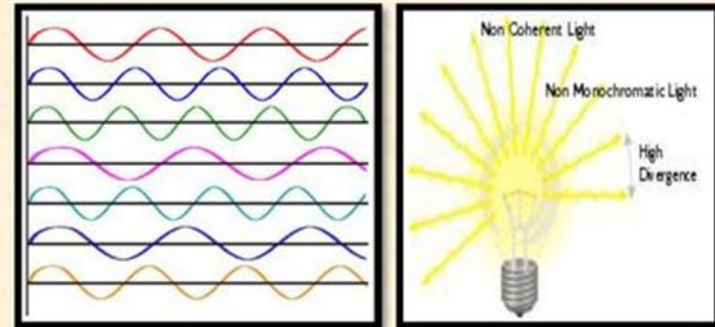
DIFFERENCE

LASER LIGHT



1. **Coherent** : in phase (in harmony)
2. **Collimated**: parallel
very narrow beam
no divergence
3. **Monochromatic**: single wavelength
single color
4. **Directional**: unidirectional
5. **Brightness** : extremely very high
power density

ORDINARY LIGHT



1. **Incoherent** : random phase
2. **Not collimated**: unparallel
very wide beam
high divergence
3. **Many wavelength**
Many color
4. **Multi directional**
5. **Brightness** : very low power density

Relation between Einstein's A and B Coefficient

Einstein's coefficient and Einstein's relation

Let N_1 & N_2 be the no. of atoms in the ground state and excited state and $\rho(r)$ is the energy density per unit volume

Then the ratio of absorption per unit volume = $B_{12} \cdot \rho(r) \cdot N_1$

Ratio of spontaneous emission per unit volume = $A_{21} \cdot N_2$

Ratio of stimulated emission per unit volume = $B_{21} \cdot \rho(r) \cdot N_2$

Where B_{12}, B_{21} and A_{21} are Einstein's coefficient under thermal equilibrium, the rate of absorption = rate of emission

$$B_{12}.N_1.\rho(r) = A_{21}.N_2 + B_{21}.\rho(r).N_2$$

$$\rho(r)[B_{12}.N_1 - B_{21}.N_2] = A_{21}.N_2$$

$$\rho(r) = \frac{A_{21}.N_2}{B_{12}.N_1 - B_{21}.N_2}$$

$$\rho(r) = \frac{\frac{A_{21}/B_{21}}{B_{12} \cdot N_1}}{\frac{B_{21} \cdot N_2}{B_{21} \cdot N_2}} - 1$$

$$N_1 = \text{No. } e^{\frac{-E_1}{KT}} \quad N_2 = \text{No. } e^{\frac{-E_2}{KT}} \quad (\text{Boltzman,s Distribution})$$

$$\frac{N_1}{N_2} = e^{\frac{(E_2-E_1)}{KT}}$$

$$\rho(r) = \frac{A_{21}}{B_{21}} \left[\frac{1}{\frac{B_{12}}{B_{21}} [e^{\frac{(E_1-E_2)}{KT}}] - 1} \right]$$

$$u(\nu) = \frac{A_{21}}{B_{21}} \frac{N_2}{e^{\frac{h\nu}{kT}} \left(\frac{B_{12}}{B_{21}} \right) - 1}$$

$$u(\nu) = \frac{8\pi h\nu^3}{c^3} \frac{1}{e^{\frac{h\nu}{kT}} - 1}$$

- $B_{12} = B_{21}$, The probability of stimulated emission is same as that of induced absorption. This means that if these two processes will occur at equal rates, so that no population inversion can be attained in a two-level system.

$$\frac{A_{21}}{B_{21}} = \frac{8\pi h\nu^3}{c^3}$$

- The ratio of spontaneous emission and stimulated emission is proportional to ν^3 . This implies that the probability of spontaneous emission dominates over induced emission more and more as the energy difference between the two states increases.

THANK YOU