

Controller need Tuning

Chapter 19

Goal to achieve

- The system respond quickly to errors
- The system remain stable (PV does not oscillate around SP)
- **Gain: (Proportional sensitivity)**

$$= \Delta \text{ output (\%)} / \Delta \text{ input (\%)}$$

$$\text{Proportional Band (PB)} = 100/\text{gain}$$

$$= 100 \times \Delta \text{ input (\%)} / \Delta \text{ output (\%)}$$

Case 1	Gain (increase)	small change Δ input	for 100% output	PB (Decrease)	System is unstable (needs Faster controller)
Case 2	Gain (Decrease)	Large Change Δ input	100% output	PB (increase)	System is stable (slower controller)
Case 3	infinite	Δ input =0	100% output	PB=0	System is unstable (no action of controller)

Physical meaning:

Convey measurement and instructions to other instrument in a control loop to maintain the highest level of safety and efficiency.

ON-OFF controller:

If $PB = 0$, System operates either fully open or fully closed position.

Band width is approximately zero

- Fast process (Small volume) may require less gain to achieve stability.



- Slow process (Large volume) requires Higher gain



- **Proportional Action:** is used to set the basic gain value of the controller.
- Expressed as
 - proportional gain and
 - proportional band

Proportional gain: already discussed

Proportional band: Another way of representing the same information.

$$PB = \Delta \text{ input \%} / 100\% \text{ output}$$

what percentage change in controller input span will cause a 100 % change in controller output

eg. change in input controller 10%

change in output controller 20%

$$\text{Gain} = 20 / 10 \\ = 2$$

- PB = Δ input % (span) for 100% output
 - PB = 100/Gain
 - Gain = 100%/PB
- Gain = 2
- PB = 100 %/2
= 50%

Limits of proportional action:

- Respond only to change in error: magnitude of error return
- Does not return PV to set point: PV to a value that is within a defined span

Determining the controller output:

Output is a function of error and control Gain
controller output:

output change % = (error change, %) x gain

if the step point change by 10%

with PB = 50%

output change % = Δ input % x gain

$$= \Delta \text{ input \%} \times 100 / \text{PB}$$

$$= 10 \times 100 / 50 = 20\%$$

Proportional Action- closed loop

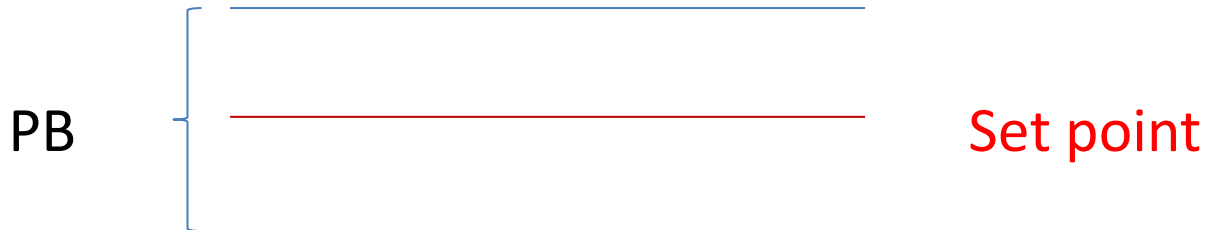
- Gain (increase) means Band (Decrease)



Process variable (PV) will cycle around the set point hence process will become **unstable** as **Output increase**

- Gain (Decrease) means Band (increase)

Loop is very **stable** as **Output Decrease**



Proportional summary

$\Delta \text{ Output} = (\text{Change in error}) \times \text{gain}$

$\text{Gain} = \Delta \text{ Output}_{(\text{fully open})} / (\text{Change in error})$

Setting :

- Small PB(%) minimize offset
- High gain Possible cycling
- Large PB (%) Large offset
- Low Gain Stable loop

