## CODES

In the coding, when numbers or letters are represented by a specific group of symbols, it is said to be that number or letter is being encoded. The group of symbols is called as code.

## TYPES OF CODE

$>$ BCD code<br>$>$ Gray code<br>$>$ Excess 3 code

## BCD CODE

Binary Coded Decimal, or BCD, is another process for converting decimal numbers into their binary equivalents. It is a form of binary encoding where each digit in a decimal number is represented in the form of bits.

## CONVERSIONS

## Binary to BCD code Converson

1.First, we will convert the binary number into decimal.
2.We will convert the decimal number into BCD

| EXAMPLE |  |  |  |
| :---: | :---: | :---: | :---: |
| (11110)2 |  |  |  |
| 1. First, convert the given binary number into a decimal number. |  |  |  |
| Steps | Binary Number |  | Decimal Number |
| 1) | (11110)2 |  | $\left(\left(1 \times 2^{4}\right)+\left(1 \times 2^{3}\right)+\left(1 \times 2^{2}\right)\right.$ |
|  |  |  | $\left.+\left(1 \times 2^{1}\right) \quad+\left(0 \times 2^{0}\right)\right)_{10}$ |
| 2) | (11110)2 |  | $(16+8+4+2+0)_{10}$ |
| 3) | (11110)2 |  | (30) ${ }_{10}$ |

## 2. Now, we convert the decimal to the $B C D$

We convert each digit of the decimal number into groups of the four-bit binary number.

| Steps | Decimal Number | Conversion |
| :--- | :--- | :--- |
| Step 1 | $(30)_{10}$ | $(0011)_{2}(0000)_{2}$ |
| Step 2 | $(30)_{10}$ | $(00110000)_{\text {BCD }}$ |

Result:
$(11110)_{2}=(00110000)_{B C D}$

## Gray code

The Gray Code is a sequence of binary number systems, which is also known as reflected binary code.

## Constructing an n-bit Gray code

n-bit Gray code can be generated recursively using reflect and prefix method which is explained as following below.

Generate code for $\mathrm{n}=1: 0$ and 1 code. Take previous code in sequence: 0 and 1 .
Add reversed codes in the following list: $0,1,1$ and 0 Now add prefix 0 for original previous code and prefix 1 for new generated code: $00,01,11$, and 10.

Therefore, Gray code 0 and 1 are for Binary number 0 and 1 respectively. Gray codes: $00,01,11$, and 10 are for Binary numbers: $00,01,10$, and 11 respectively. Similarly you can construct Gray code for 3 bit binary numbers

## EXAMPLE

For $\mathrm{n}=1$ bit BINARY

0
1

FOR n=2bit

| Binary | Gray |
| :--- | :--- |
| 00 | 00 |
| 01 | 01 |
| 10 | 11 |
| 11 | 10 |

## EXCESS 3 CODE

The Excess-3 code (or EX-3) is a non-weighted code used to express code used to express decimal numbers. It is a selfcomplementary binary coded decimal (BCD) code and numerical system which has biased representation.

## Representation of Excess-3 Code

1.Find the decimal equivalent of the given binary number.

2 .Add +3 to each digit of decimal number.
Convert the newly obtained decimal number back to binary number to get required excess-3 equivalent.
You can add 0011 to each four-bit group in binary coded decimal number (BCD) to get desired excess-3 equivalent

Example-1
Convert decimal number 23 to Excess- 3 code.
So, according to excess- 3 code we need to add 3 to both digit in the decimal number then convert into 4-bit binary number for result of each digit. Therefore, $=23+33=56=01010110$
which is required excess- 3 code for given decimal number 23
Example -2- Convert Excess-3 code 01001001 into BCD and decimal number.

So, grouping 4-bit for each group, i.e., 01001001 and subtract 0011 0011 from given number. Therefore,
$=01001001-00110011=00010110$
So, binary coded decimal number is 00010110 and decimal number will be 16 .

