

» SSP is on equator at longitude L_s and Latitude $L_s = 0$

$$r_s = 42164.17 \text{ km.} \longrightarrow \text{Radius of Orbit of Satellite}$$

$$\cos El = \frac{\sin r}{(1.02288235 - 0.3025325 \cos r)^{1/2}}$$

$$\frac{r_s}{r_e} = 6.6107345$$

$$El = \tan^{-1} \left[\frac{6.6107345 - \cos r}{\sin r} \right] - r$$

$$El = \tan^{-1} \left\{ \frac{6.6107345 - \cos r}{\sin r} \right\} - r$$

» Northern Hemisphere:-

(a) » Earth station west of satellite $\longrightarrow$

$$A_2 = 180 - A'$$

SSP $\rightarrow$ South east of earth station

(b) » Earth station east of satellite $\longrightarrow$

$$A_2 = 180 + A'$$

SSP $\rightarrow$ South west of earth station.

» Southern Hemisphere:-

(a) » Earth station west of satellite $\longrightarrow$ $A_2 = A'$

SSP, North east of Earth station

(b) » Earth station east of satellite $\longrightarrow$ $A_2 = 360 - A'$

SSP, North west of Earth station.

A' = called prime angle.

SSP = Substation Point

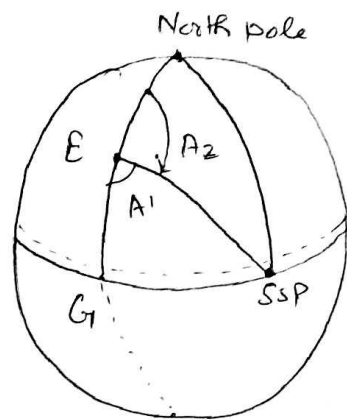
➤ Northern Hemisphere-

1. Let us consider First Condition
earth station west of
satellite

$$A' = \tan^{-1} \left[\frac{\tan |l_s - l_e|}{\sin l_e} \right]$$

$$Az = 180 - A'$$

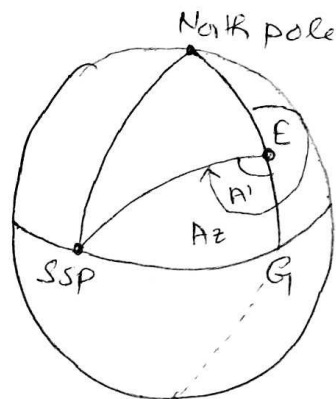
→ SSP is south east of earth station.



2. Let us consider Second Condition.
earth station is east of
satellite.

$$Az = 180 + A'$$

→ SSP is south west of
earth station



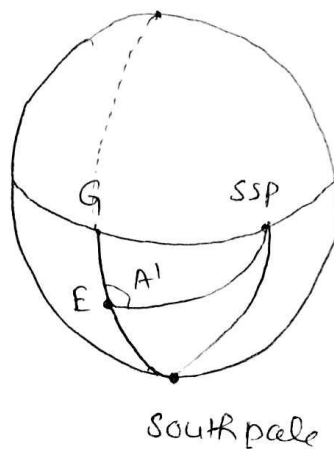
➤ Southern Hemisphere:-

1. Let us consider earth station west of satellite. in
southern Hemisphere-

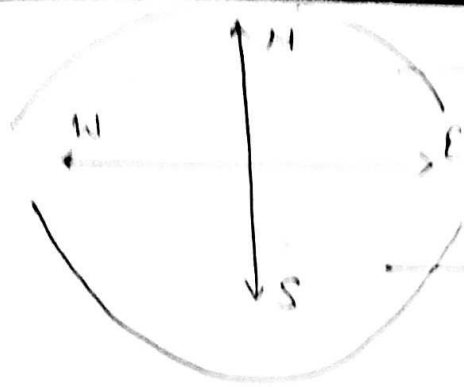
$$A' = Az$$

$$Az = A'$$

SSP is north east of
earth station.



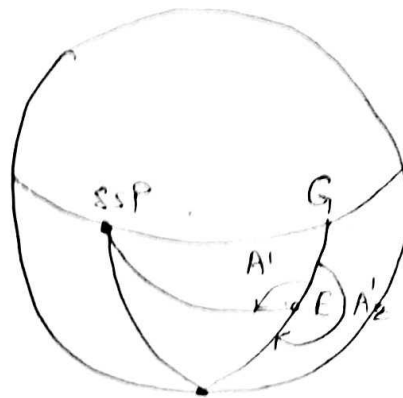
2. Let us consider satellite is east of - earth station's
east of sat satellite.



→ Northern Hemisphere.

→ Southern Hemisphere

$$A_2 = 360 - A_1$$



SSP is north west of earth station.

* Visibility Test :- *

* Problem:- Earth station Longitude 80° West Latitude 40° north
Geostationary satellite northern Hemisphere 12° West.

Solution:-

R_e = Radius of earth

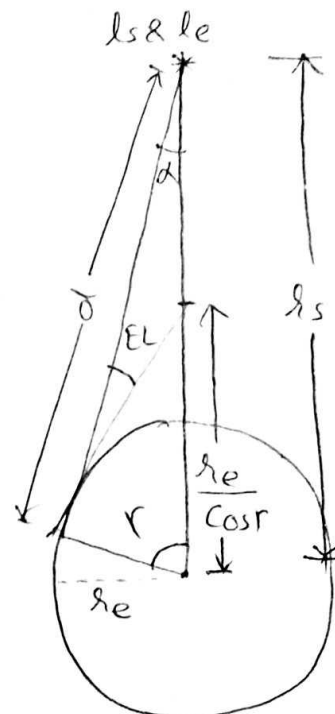
R_s = Radius of orbit of satellite.

Conditions for visibility-

$$R_s \geq \frac{R_e}{\cos r}$$

$$r \leq \cos^{-1}\left(\frac{R_e}{R_s}\right)$$

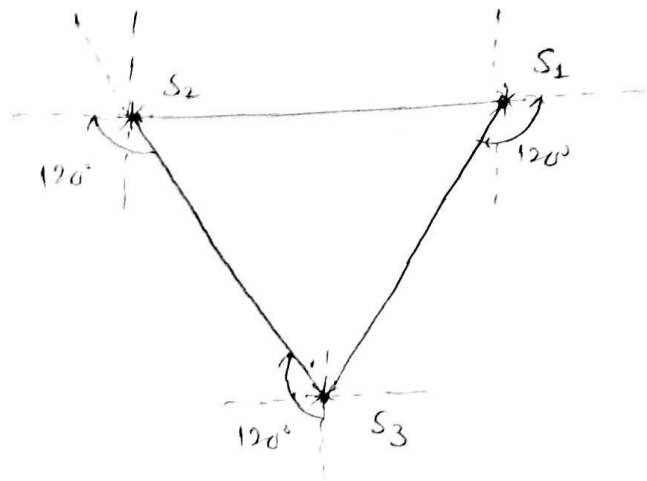
$$r \leq 81.3^\circ$$



So $2r = 81.3^\circ \times 2 = 162.3^\circ$, for both side. This value is less than 180° .

One Geostationary satellite can cover almost half of earth.

Three covering full earth, three satellite are arranged at 120° each as shown in the figure.



Maximum coverage angle α :-

maximum coverage angle α can be calculated as-

$$\frac{r_e}{\sin \alpha} = \frac{r_s}{\sin(90^\circ + El)} = \frac{r_s}{\cos El}$$

$$\sin \alpha = \frac{r_e}{r_s} \cos El$$

$$\alpha = \sin^{-1} \left[\frac{r_e}{r_s} \cos El \right]$$

$$\therefore 2\alpha = 2 \sin^{-1} \left\{ \frac{r_e}{r_s} \cos El \right\}$$

$$2\alpha_{\max} = 2 \sin^{-1} \left(\frac{r_e}{r_s} \right)$$

$$2\alpha_{\max} = 17.4^\circ$$

α called earth coverage angle and

this angle is maximum when

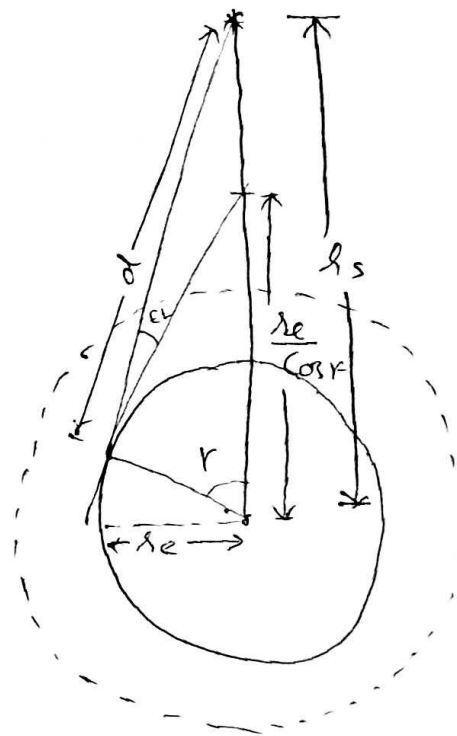
$$El = 0^\circ$$

$$\therefore \cos El = 1$$

minimum allowed elevation angle 5° , If El elevation angle is high then signal travel

more distance in
earth atmosphere.

Then attenuations
are increases.



If Consider Elevation
angle 5° , then.

$$r = 76.3^\circ$$

For 5° elevation angle.

$$d^2 = r_e^2 + h_s^2 + 2r_e h_s \cos r$$

$$d_{\max} = 41127 \text{ km.}$$

$$\text{Round trip delay} = \frac{2d}{c}$$

$$= \frac{2 \times 41127 \times 10^3 \text{ m}}{3 \times 10^8 \text{ m/sec}} \approx 274.$$

* Launching of Vehicle!- : For launching a satellite following
parameters are required-

- » 1. Height of orbit
- » 2. velocity required
- » 3. velocity vector of satellite.

A satellite can not be placed into a stable orbit unless two
parameters that are uniquely coupled together - The velocity vector &
Orbital height - are simultaneously correct.