

calculate fraction of mass ^{of phases} for solid and liquid at 1250°C
 given. M.P of A is 1050°C
 M.P of B is 1900°C

Solid composition = 80%

Liquid " = 30%

and over all composition = 75%

Solⁿ.

at 1250°C

fraction mass
 for liquidus phase

$$m_L = \frac{C_S - C_0}{C_S - C_L}$$

$$= \frac{80 - 75}{80 - 30}$$

$$= 0.1 = 10\%$$

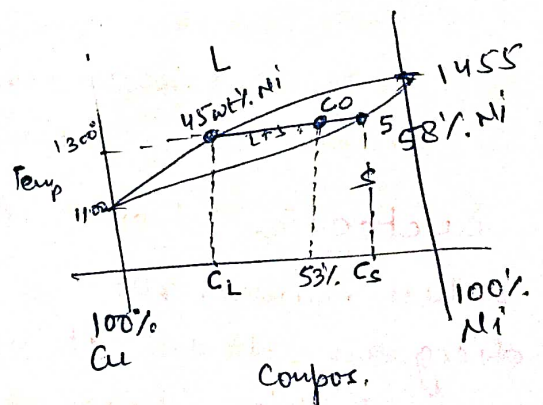
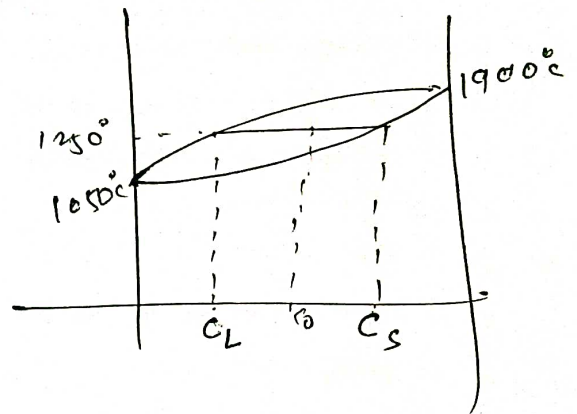
and for solidus phase.

$$m_S = \frac{C_0 - C_L}{C_S - C_L}$$

$$= \frac{75 - 30}{80 - 30}$$

$$= 0.9$$

$$= 90\%$$



Q. A Copper-Nickel alloy contain 47 wt% Cu and 53 wt% Ni and is at 1300°C. find what is weight% of Cu in (L+S) phase at this temp. (ii) what weight% of this alloy is liquid and what % is solid.

$C_0 = 53\% \text{ Ni}$, $C_L = 45\% \text{ Ni}$, $C_S = 58\% \text{ Ni}$

Weight fraction of liquid phase

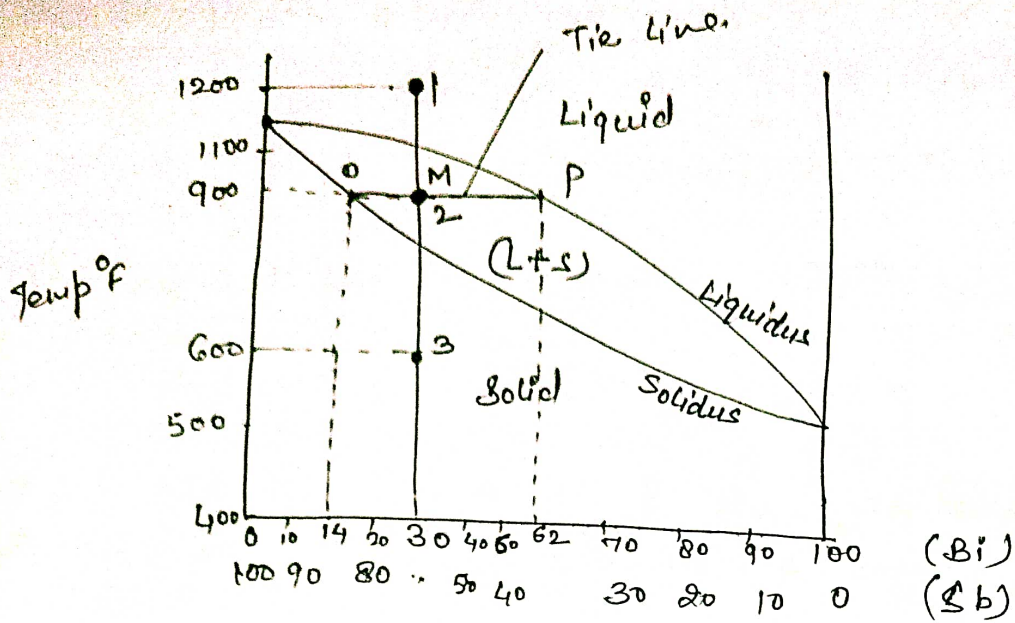
$$w_L = \frac{C_S - C_0}{C_S - C_L} = \frac{58 - 53}{58 - 45} = \frac{5}{13} = 0.38$$

So, wt% of liquid = $0.38 \times 100 = 38\%$

$$w_S = \frac{C_0 - C_L}{C_S - C_L} = \frac{53 - 45}{58 - 45} = \frac{8}{13} = 0.62$$

wt% of solid = $0.62 \times 100 = 62\%$

Binary phase diagram for Bismuth & Antimony.



* From phase diagram, specific information can be obtained only if a temp. and composition are specified.

* At point 1 with 30% Bi - 70% Sb alloy at 1200°F only one phase i.e. liquid solution is present.

* At point 2, with same alloy but at 900°F two phases are present i.e. liquid and solid phase.

* With the same alloy but at 600°F only one phase i.e. solid solution is present.

Similar analysis can be made for any other alloy composition and temp. in the phase diagram.

* Now to find out the composition of phases tie line has been drawn in Mushy zone OP.

→ The point P liquid phase has a composition 62% Bi and 38% Sb.

→ The point O solid phase has a composition 14% Bi and 86% Sb.

Lever Arm Principle →

To determine the relative am

① Amount of solid phase. (% of solid present)

$$= \frac{MP}{OP} \times 100 = \frac{(62-30)}{(62-14)} = 66\frac{2}{3}\%$$

② Amount of liquid phase (% of liquid present)

$$= \frac{OM}{OP} \times 100 = \frac{30-14}{62-14} \times 100 = 33\frac{1}{3}\%$$

The relative length of lever arm multiplied by the amount of phase present ~~to~~ must balance.

This is called lever rule because amount of given phase multiplied by its lever arm is equal to amount of other phase multiplied by its lever arm.

To ~~etc~~ determine the relative amount of each phase that is present in phase diagrams, some relation will be used, which is known as LEVER RULE.



Lever rule →

$$W_2 \times MP = W_1 \times OM$$

$$OM + MP = OP \rightarrow \text{Total Composition of alloy b/w liquidus \& solidus}$$

$$\% \text{ of solid present} = \frac{OM}{OP} \times 100$$

$$\% \text{ of liquid " } = \frac{MP}{OP} \times 100$$

$$M_L = \frac{C_S - C_0}{C_S - C_L} \quad \& \quad M_S = \frac{C_0 - C_L}{C_S - C_S}$$

