

# Digital Data Transmission

- There are two types of Digital Data Transmission:
  - 1) Base-Band data transmission
    - Uses low frequency carrier signal to transmit the data
  - 2) Band-Pass data transmission
    - Uses high frequency carrier signal to transmit the data

# Line Coding Techniques

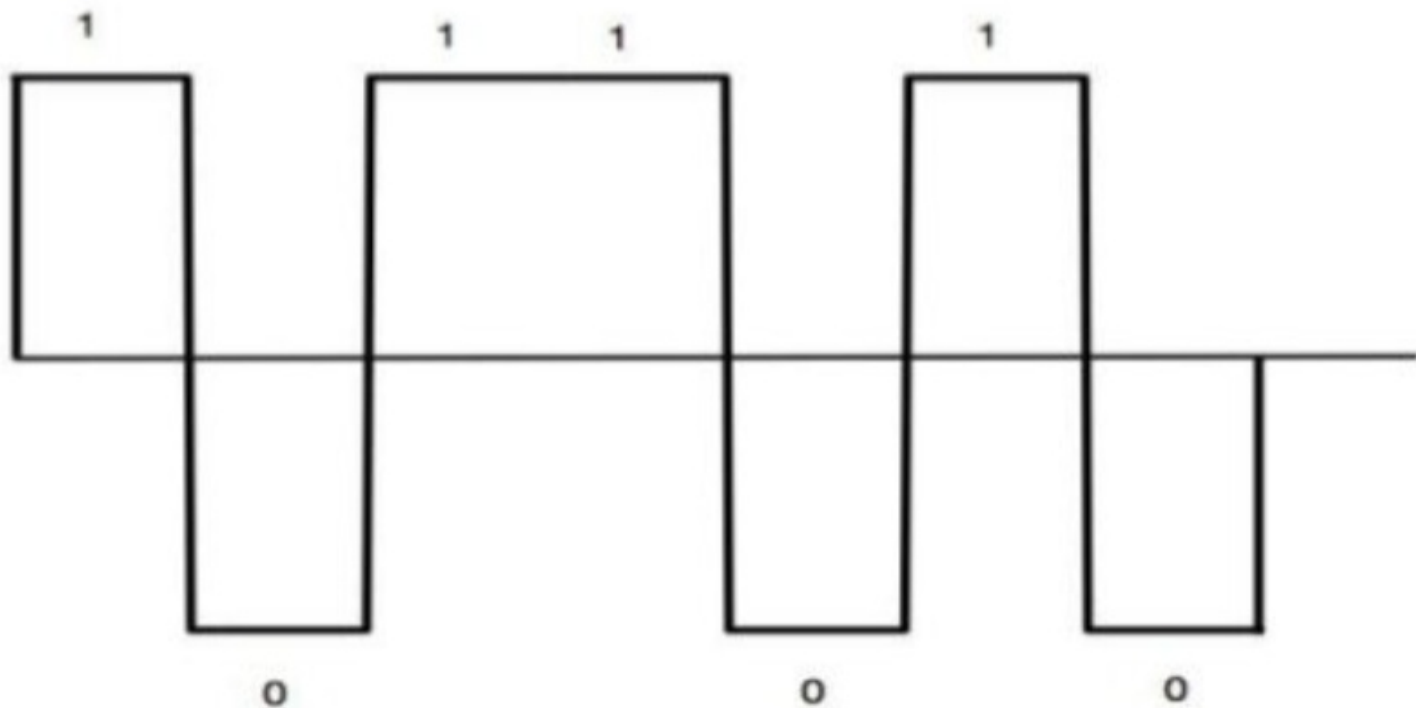
- Non-Return to Zero (NRZ)
- Unipolar Return to Zero (Unipolar-RZ)
- Bi-Polar Return to Zero (Bi-polar RZ)
- Return to Zero Alternate Mark Inversion (RZ-AMI)
- Non-Return to Zero – Mark (NRZ-Mark)
- Manchester coding (Biphase)

# Non-Return to Zero (NRZ)

- The “1” is represented by some level
- The “0” is represented by the opposite
- The term non-return to zero means the signal switched from one level to another without taking the zero value at any time during transmission.

# NRZ - Example

- We want to transmit  $m=1011010$

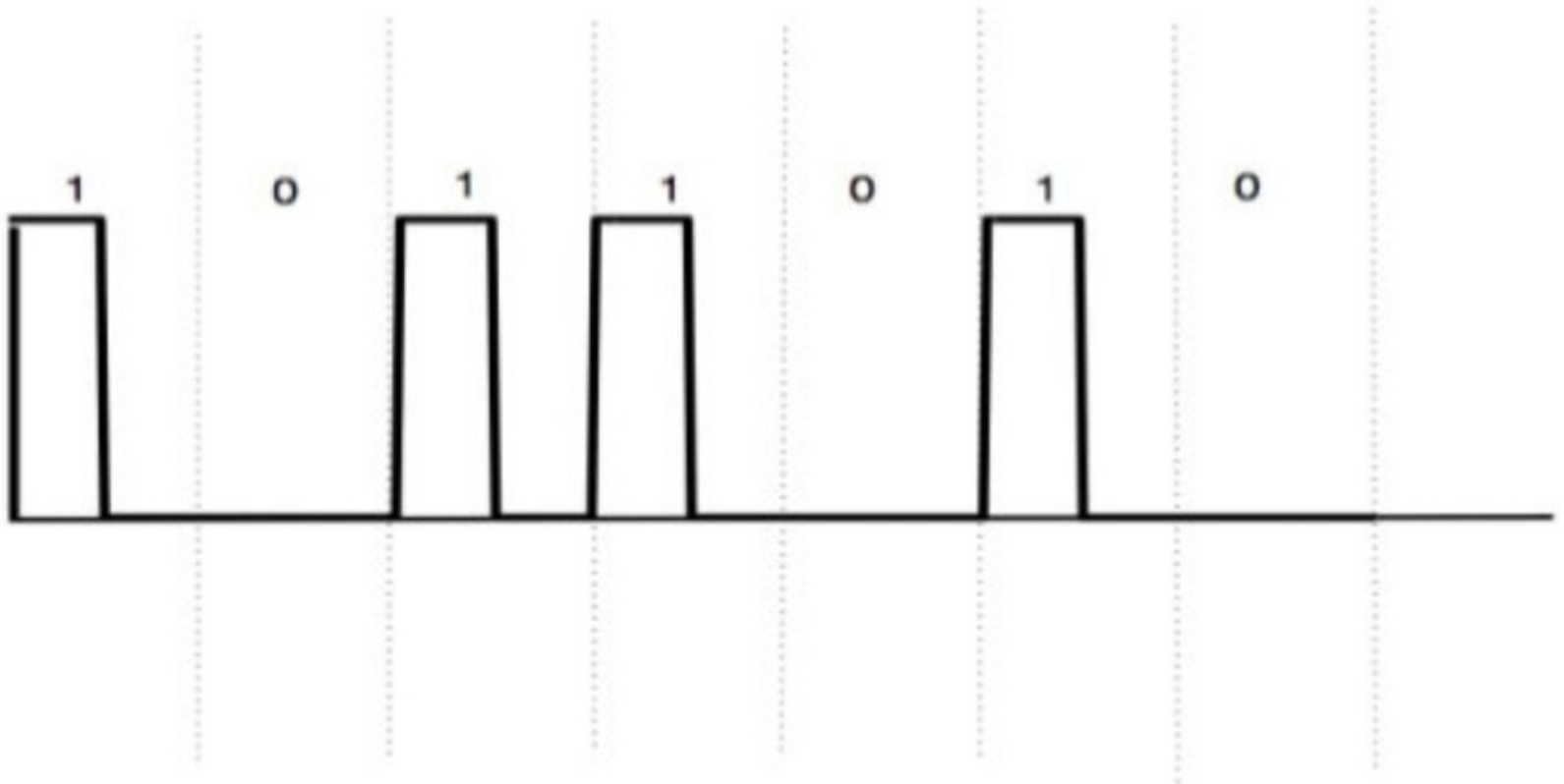


## Unipolar Return to Zero (Unipolar RZ)

- Binary “1” is represented by some level that is half the width of the signal
- Binary “0” is represented by the absence of the pulse

# Unipolar RZ - Example

- We want to transmit  $m=1011010$

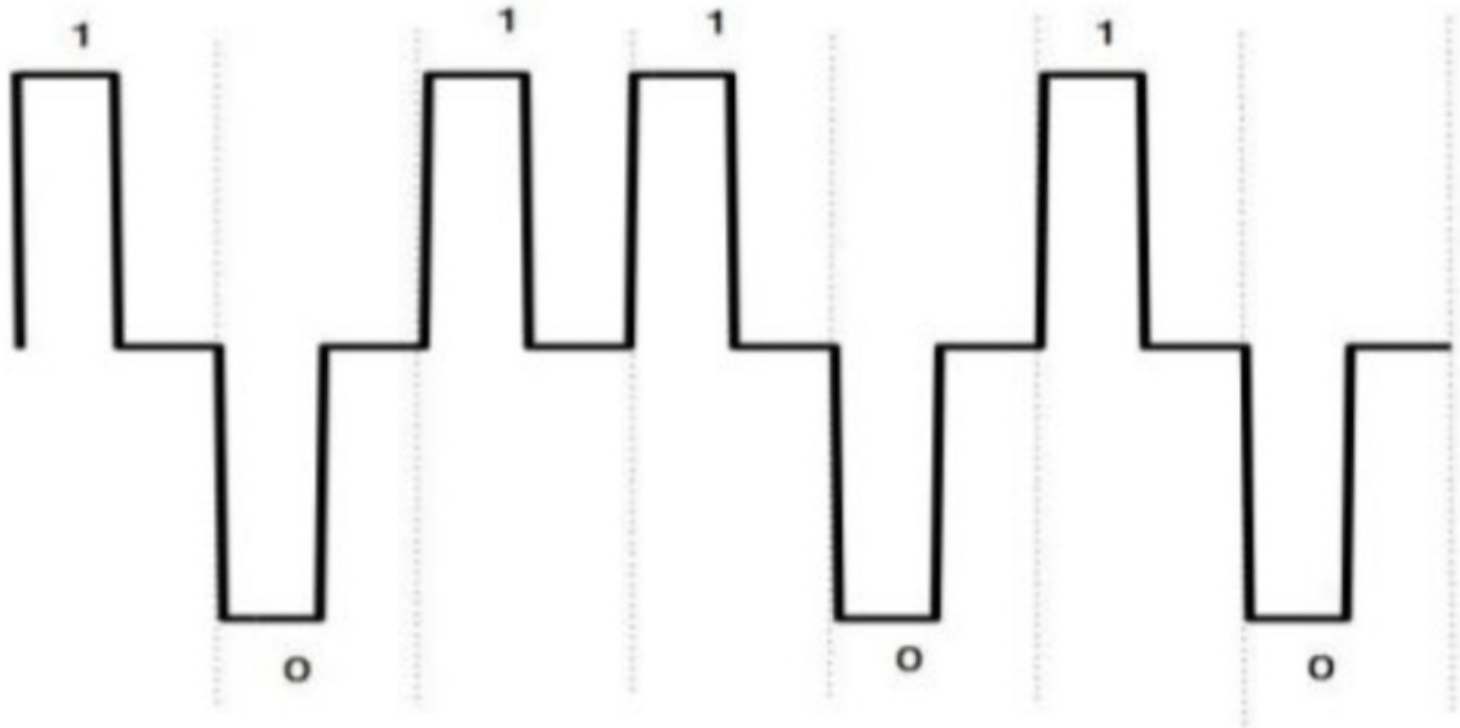


# Bipolar Return to Zero (Bipolar RZ)

- Binary “1” is represented by some level that is half the width of the signal
- Binary “0” is represented a pulse that is half width the signal but with the opposite sign

# Bipolar RZ - Example

- We want to transmit  $m=1011010$



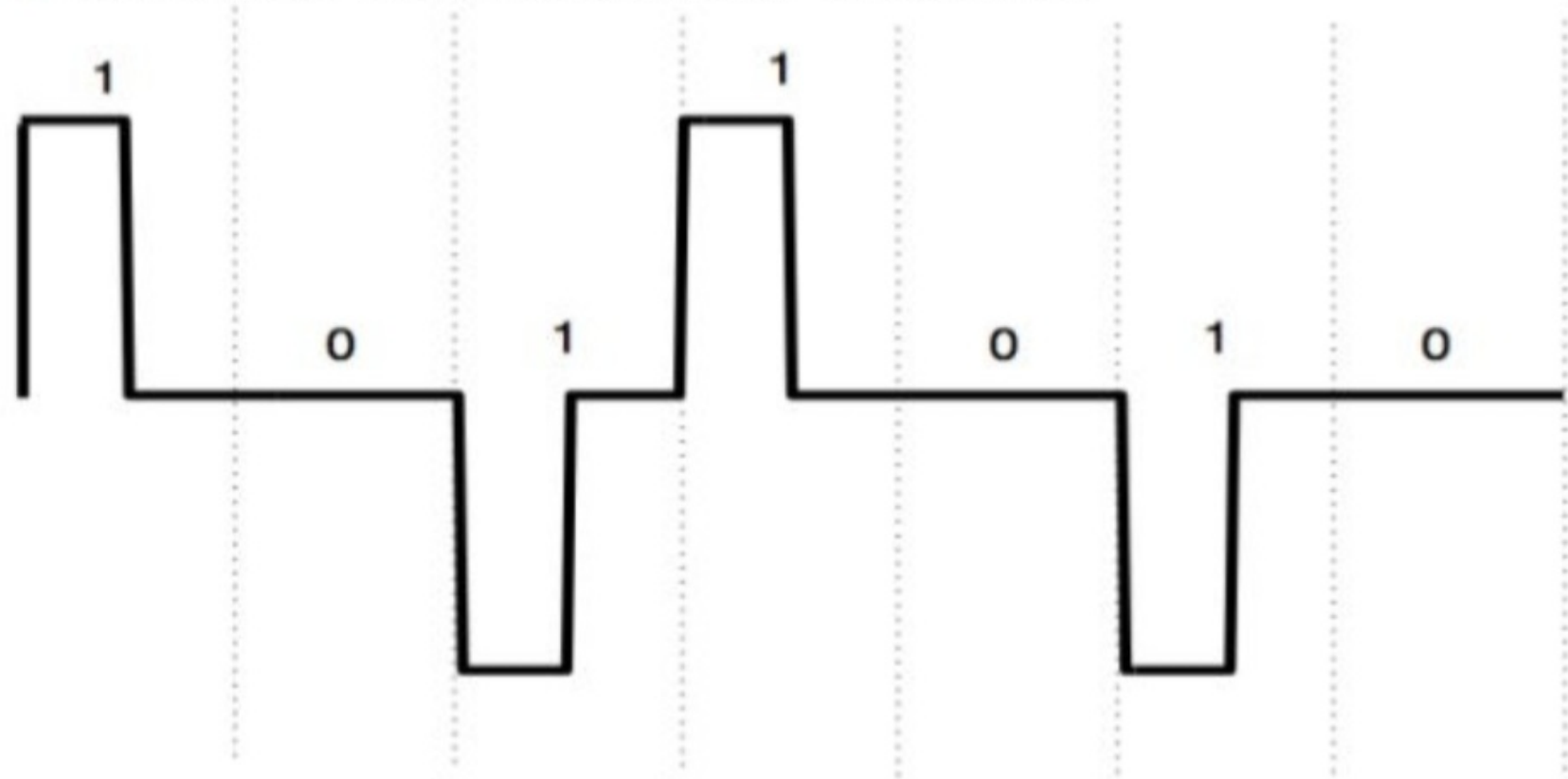


# Return to Zero Alternate Mark Inversion (RZ-AMI)

- Binary “1” is represented by a pulse alternating in sign
- Binary “0” is represented with the absence of the pulse

# RZ-AMI - Example

- We want to transmit  $m=1011010$

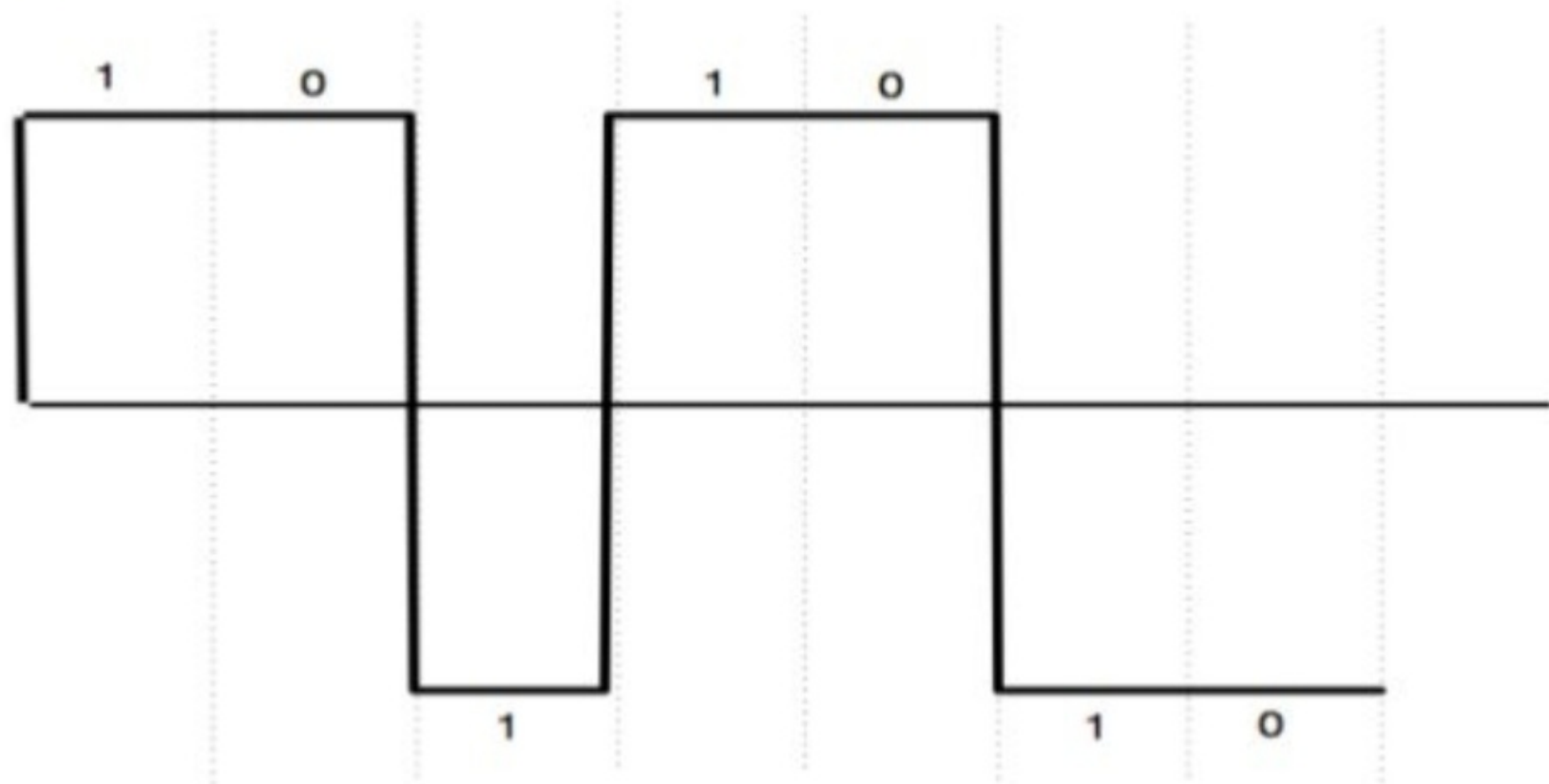


## Non-Return to Zero – Mark (NRZ-Mark)

- Also known as differential encoding
- Binary “1” represented in the change of the level
  - High to low
  - Low to high
- Binary “0” represents no change in the level

# NRZ-Mark - Example

- We want to transmit  $m=1011010$

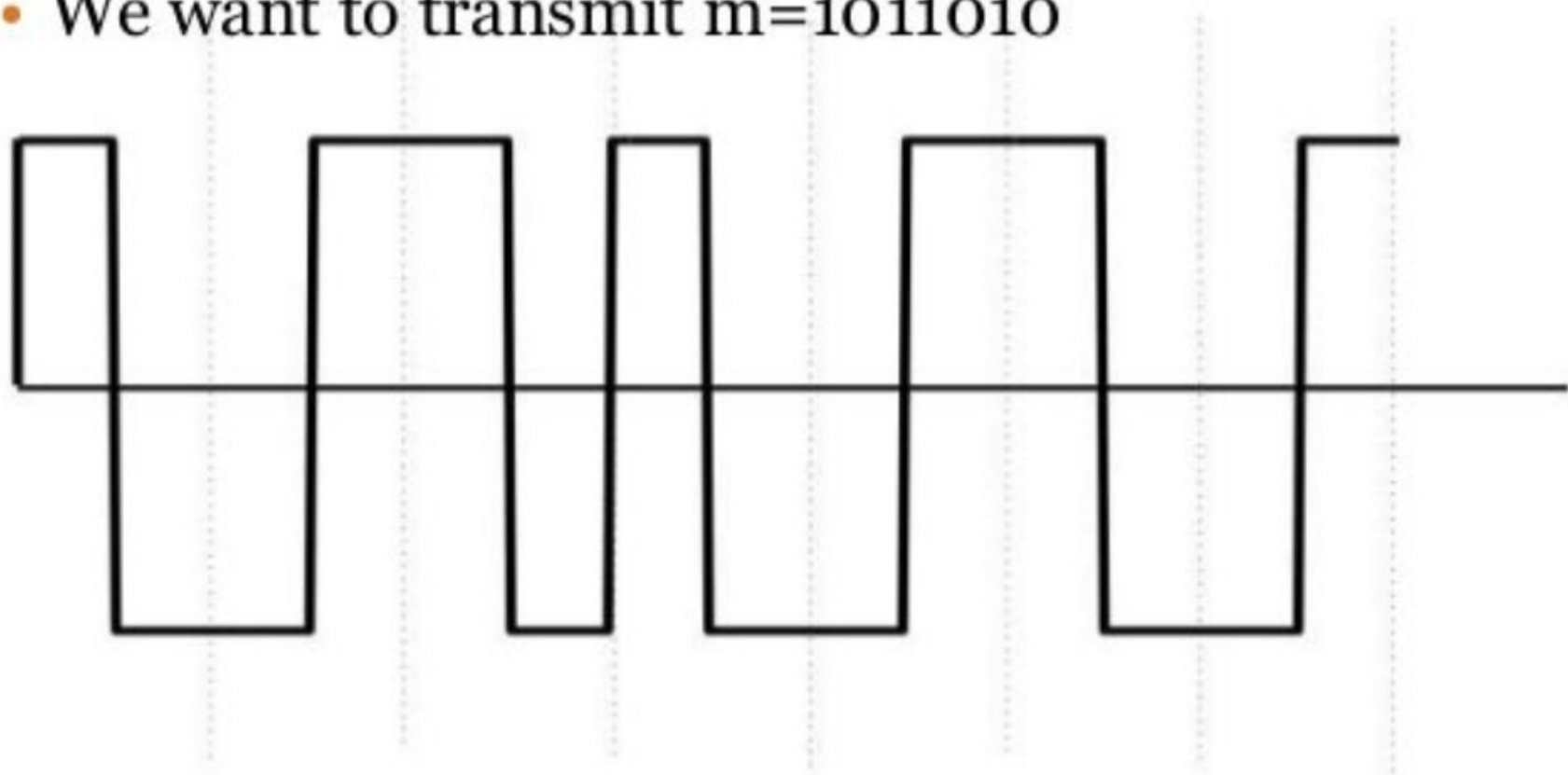


# Manchester coding (Biphase)

- Binary “1” is represented by a positive pulse half width the signal followed by a negative pulse
- Binary “0” is represented by a negative pulse half width the signal followed by a positive pulse

# Manchester coding - Example

- We want to transmit  $m=1011010$



# Transmission

- **Transmission bandwidth:** the transmission bandwidth of a communication system is the band of frequencies allowed for signal transmission, in another word it is the band of frequencies at which we are allowed to use to transmit the data.

# Bit Rate

- **Bit Rate** : is the number of bits transferred between devices per second
- If each bit is represented by a pulse of width  $T_b$ , then the bit rate

$$R_b = \frac{1}{T_b} \quad \text{bits/sec}$$



## Example – Bit rate calculation

- Suppose that we have a binary data source that generates bits. Each bit is represented by a pulse of width  $T_b = 0.1$  mSec
- Calculate the bit rate for the source

- **Solution**

$$R_b = \frac{1}{T_b} = \frac{1}{0.1 \times 10^{-3}} = 10000 \quad \text{bits/sec}$$

## Example – Bit rate calculation

- Suppose we have an image frame of size 200x200 pixels. Each pixel is represented by three primary colors red, green and blue (RGB). Each one of these colors is represented by 8 bits, if we transmit 1000 frames in 5 seconds what is the bit rate for this image?

# Example – Bit rate calculation

- We have a total size of  $200 \times 200 = 40000$  pixels
- Each pixel has three colors, RGB that each of them has 8 bits.
  - $3 \times 8 = 24$  bits ( for each pixel with RGB)
- Therefore, for the whole image we have a total size of  $24 \times 40000 = 960000$  bits
- Since we have 1000 frames in 5 seconds, then the total number of bits transmitted will be  $1000 \times 960000 = 960000000$  bits in 5 seconds
- Bit rate =  $960000000/5 = 192000000$  bits/second

## Baud rate (Symbol rate)

- The number of symbols transmitted per second through the communication channel.
- The symbol rate is related to the bit rate by the following equation:

- $R_b$  = bit rate
  - $R_s$  = symbol rate
  - $N$  = Number of bits per symbol
- $$R_s = \frac{R_b}{N}$$

# Baud rate (Symbol rate)

- We usually use symbols to transmit data when the transmission bandwidth is limited
- For example, we need to transmit a data at high rate and the bit duration  $T_b$  is very small; to overcome this problem we take a group of more than one bit, say 2, therefore :

$$T_b \rightarrow f_o = \frac{1}{T_b}$$

$$2T_b \rightarrow f = \frac{1}{2T_b} = \frac{1}{2} f_o$$

$$4T_b \rightarrow f = \frac{1}{4T_b} = \frac{1}{4} f_o$$

## Baud rate (Symbol rate)

- We notice that by transmitting symbols rather than bits we can reduce the spectrum of the transmitted signal.
- Hence, we can use symbol transmission rather than bit transmission when the transmission bandwidth is limited

# Example

- A binary data source transmits binary data, the bit duration is  $1\mu\text{sec}$ , Suppose we want to transmit symbols rather than bits, if each symbol is represented by four bits. what is the symbol rate?
- Each bit is represented by a pulse of duration  $1\mu$  second, hence the bit rate

$$R_b = \frac{1}{1 \times 10^{-6}} = 1\,000\,000 \text{ bits/sec}$$

## Example (Continue)

- Therefore, the symbol rate will be

$$R_s = \frac{R_b}{N} = \frac{1000000}{4} = 250000 \text{ symbols/sec}$$